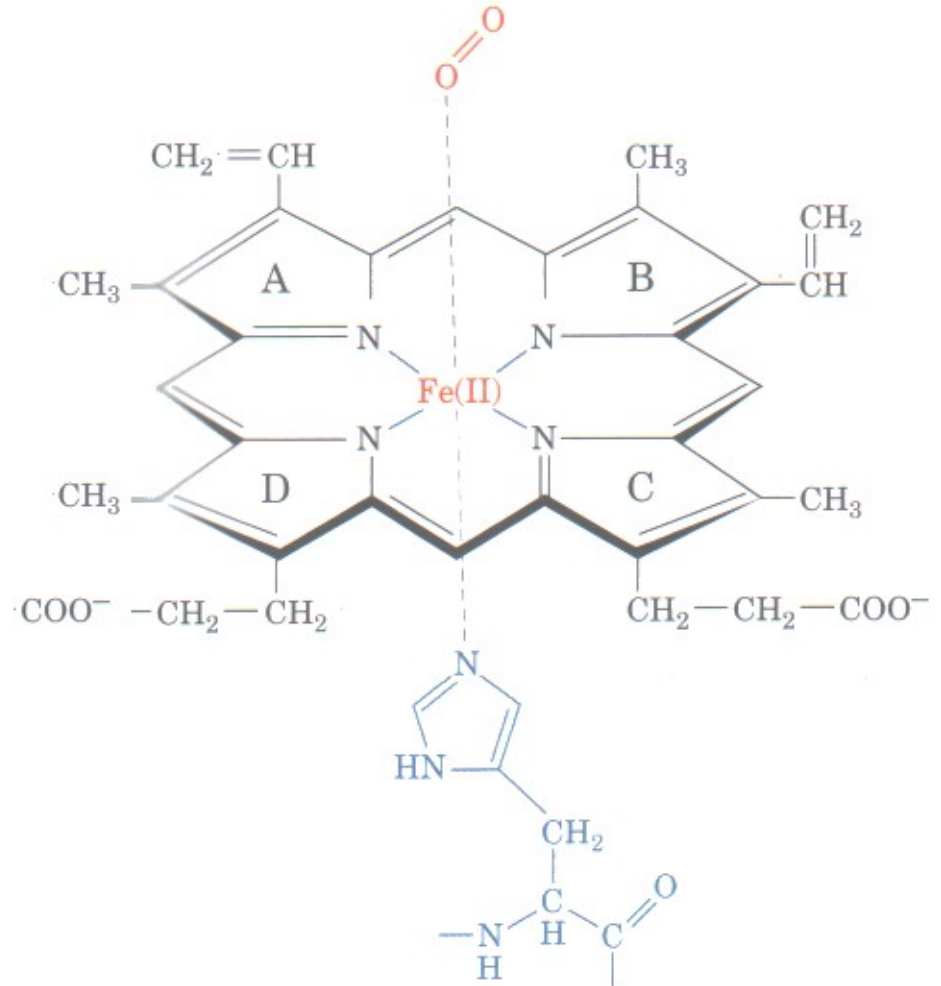


# Chapter 10: Hemoglobin

Voet & Voet:  
Pages 320-353



# Hemoglobin Function

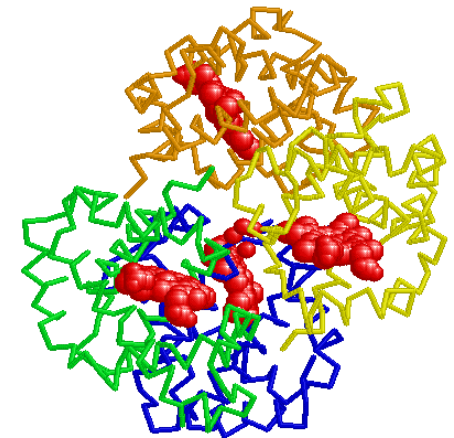
Larger aerobic (oxygen utilizing) organisms require an  $O_2$  transport system to deliver sufficient  $O_2$  to tissues

- Dissolved  $O_2$  diffusion is only sufficient for very small organisms or cells (< 1mm thick)
- $O_2$  solubility is too low (eg. ~0.1 mM in blood plasma) to support metabolism

Hemoglobin serves as the primary  $O_2$  transporter in vertebrates

- Invertebrates may have a hemoglobin-based  $O_2$  transport system or an alternative system based upon either hemocyanin or hemerythrin

$O_2$  binding to Hemoglobin increases the amount of  $O_2$  in solution enough to support metabolism



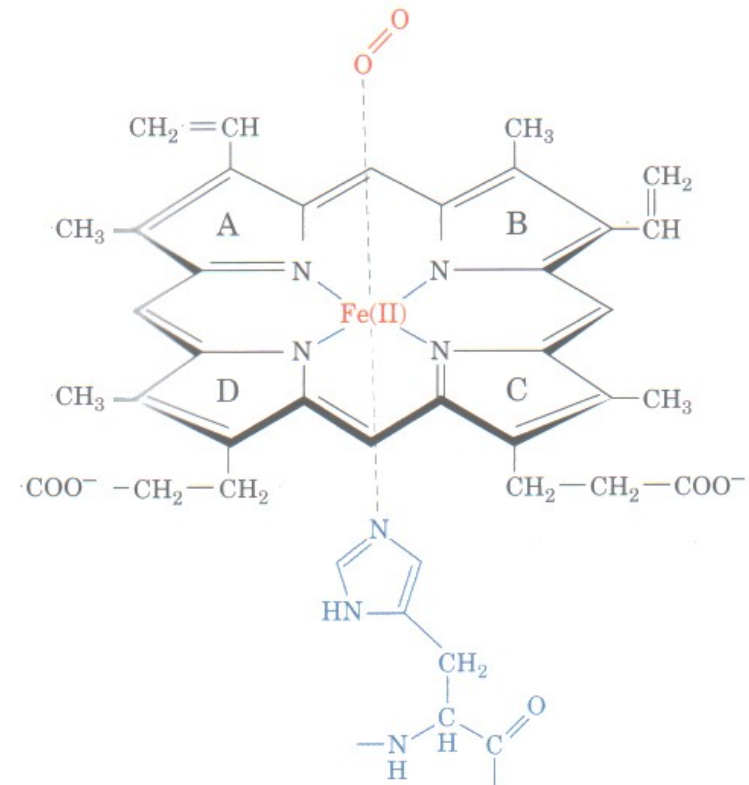
# Heme

Myoglobin and each subunit of hemoglobin bind a single **heme group**

- gives rise to characteristic red color of blood
- site of O<sub>2</sub> binding
- same group that is present in cytochromes and catalases

**Heme** is a **porphyrin** derivative containing 4 pyrrole rings linked by methylene bridges and an Fe atom

- Technically, the heme of hemoglobin is 'protoporphyrin IX' with a bound ferrous (Fe<sup>2+</sup>) ion
- Fe generally remains in the 2<sup>+</sup> oxidation state regardless of O<sub>2</sub> binding



# Quantifying Binding

Reversible binding of a protein (P) and ligand (L) can be described by an equilibrium expression characterized by an **equilibrium association constant**,  $K_a$  ( $M^{-1}$ )

- In cells, the [ligand] is typically far larger than [protein]



$$K_a = \frac{[PL]}{([P][L])}$$

Equilibrium can be expressed as the fraction of ligand binding sites occupied by ligand

$$\theta = \frac{(\text{binding sites occupied})}{(\text{total binding sites})} = \frac{[PL]}{([PL] + [P])}$$

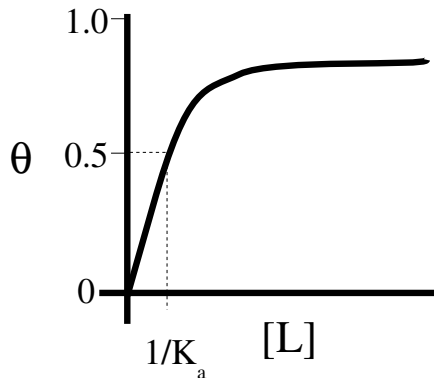
Substituting  $K_a [L][P]$  for  $[PL]$  and rearranging

$$\theta = \frac{(K_a [L][P])}{(K_a [L][P] + [P])} = \frac{(K_a [L])}{(K_a [L] + 1)} = \frac{[L]}{([L] + \frac{1}{K_a})}$$

# Determining $K_a$ (or $K_d$ )

Plotting  $\theta$  versus  $[L]$  yields a hyperbolic curve

- At  $\theta = 0.5$ ; the equilibrium equation yields  $[L] = (1/K_a)$



$\theta$  can be followed spectroscopically by detecting conformation differences associated with ligand binding

$K_d$ ; the dissociation constant is the reciprocal of  $K_a$  and is often used in its place

Why?

- a) the equilibrium equation is (slightly) simplified
- b) units are concentration

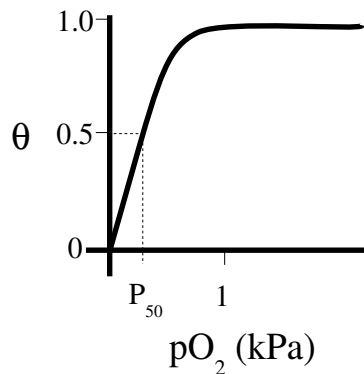
$$\theta = \frac{[L]}{([L] + K_d)}$$

# Oxygen binding to myoglobin

Must modify (slightly) equilibrium binding equation as  $O_2$  is a gas

- Partial oxygen pressure ( $pO_2$ ) is easier to measure than dissolve oxygen concentration ( $[O_2]$ )
- $P_{50}$  is the concentration at which half the binding sites are filled ( $K_d$ )

$$\theta = \frac{[L]}{([L] + K_d)} = \frac{pO_2}{(pO_2 + K_d)} = \frac{pO_2}{(pO_2 + P_{50})}$$

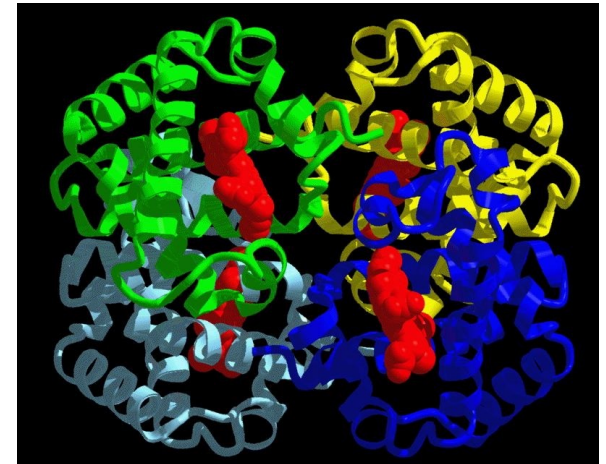
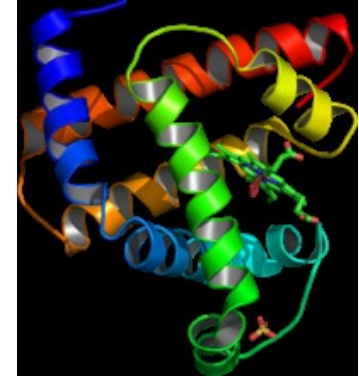


Partial pressure of  $O_2$  is pressure of  $O_2$  above solution

$O_2$  binds tightly to myoglobin with a  $P_{50}$  of 0.26 kPa  
(Note: oxygen is ~21% of the 101.3 kPa gas pressure)

# Hemoglobin

- **Myoglobin: Comparatively insensitive to small changes in physiological  $[O_2]$** 
  - Suited to storage
  - $O_2$  bound under physiological conditions
- **Hemoglobin (Hb) is an  $\alpha_2\beta_2$  oligomer and a homologue of myoglobin**
  - It carries almost all oxygen in animals
- **Interaction between the Hb subunits modulate its binding affinity allowing it to respond to small changes in physiological  $[O_2]$** 
  - Suited for oxygen transport
  - Binds/Releases  $O_2$  under physiological conditions



# Cooperativity

X-ray analysis show Hb exists in two states

- R (relaxed) state with high affinity for O<sub>2</sub>
- T (tense or taut) state with low affinity for O<sub>2</sub>

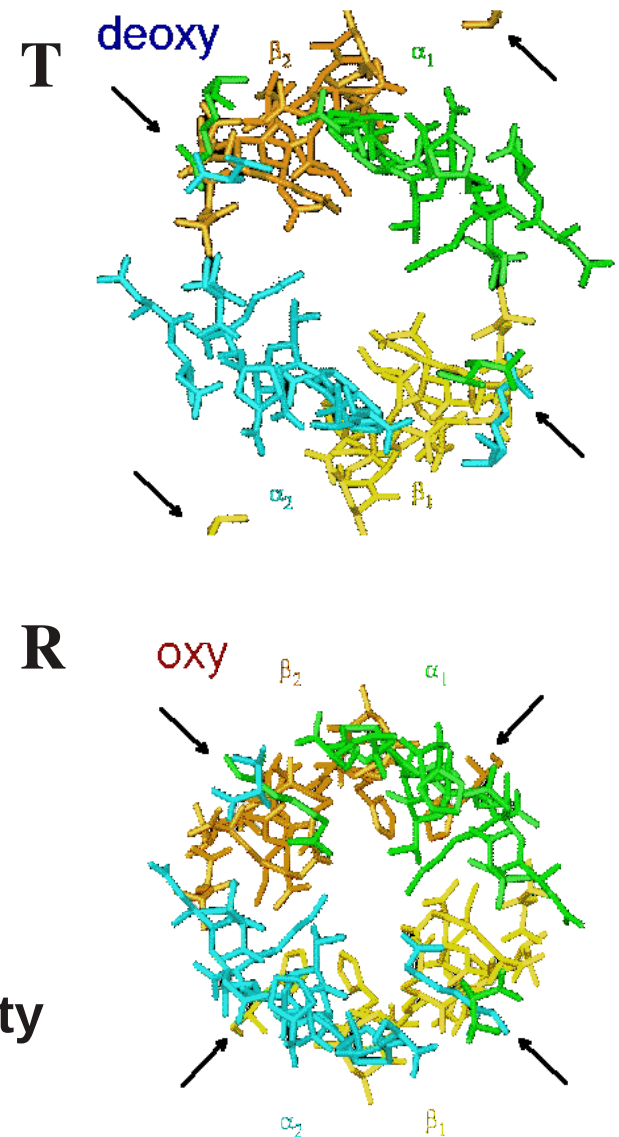
Low [O<sub>2</sub>] favors the T state

- Requirement for O<sub>2</sub> release at sites needing oxygen

Binding of O<sub>2</sub> to one of the Hb sites triggers a conformational change to the R state

- Allows all four sites to rapidly fill at higher [O<sub>2</sub>]

**Cooperativity** – binding at one site alters the affinity of similar sites of other subunits





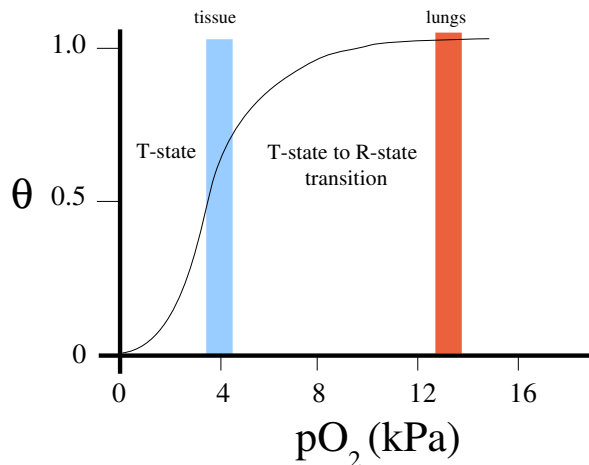
# Cooperativity and Hb function

$pO_2$  in the lungs is  $\sim 13.3$  kPa and in tissue is  $\sim 4$  kPa

- Proteins with hyperbolic binding curves bind  $O_2$  efficiently in the lungs but do not efficiently release it in tissue

Cooperative proteins have sigmoidal binding curves

- Arises from low affinity binding at low  $pO_2$  and higher affinity binding at high  $pO_2$



$< 4$  kPa, Hb is largely in the T-state and deoxygenated (less than 0.5 fractional saturation)

$> 4$  kPa, the T to R-state transition results in Hb rapidly filling with  $O_2$  ( $\sim 0.9$  fractional saturation at 8 kPa)

$> 10$  kPa, Hb is saturated with  $O_2$

Note: Complete release of  $O_2$  would be more efficient (ie. At 4kPa) BUT organisms may not be able to survive brief  $O_2$  starvation

# Allosteric proteins

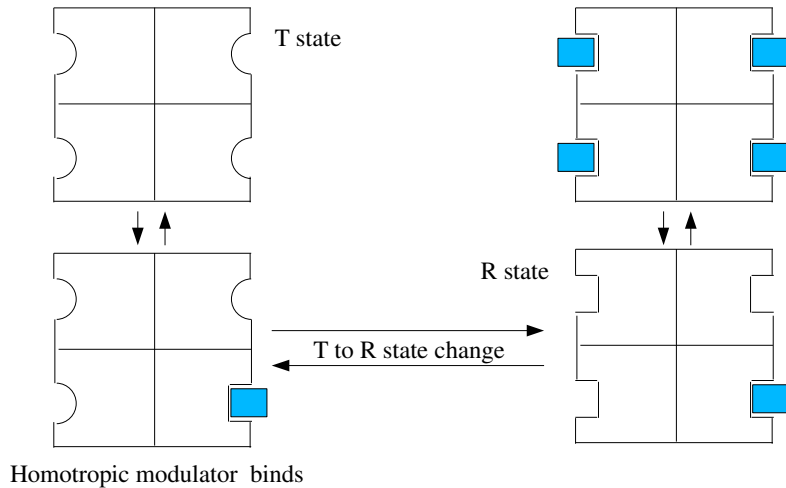
**Allosteric proteins** bind ligands at one site, undergo a conformational change and the binding properties of another site on the same protein are altered

- Cooperative proteins (eg Hb) are a special case of allosteric proteins
- All cooperative proteins are allosteric, but not all allosteric proteins are cooperative

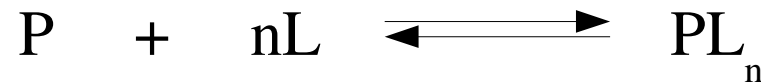
Ligands that induce conformational changes in allosteric proteins are referred to as **modulators**

- Modulators may be *inhibitors* (induce less-active forms) or *activators* (induce more-active forms)
- **Homotropic modulators** are modulators that are identical to the ligand – occur in cooperative proteins (eg. O<sub>2</sub> is a homotropic activator of hemoglobin)
- **Heterotropic modulator** are different from the normal ligand (eg. 2,3-bisphosphoglycerate is a heterotropic inhibitor of hemoglobin)

# Cooperativity cartoon



- Cooperative binding of oxygen was first studied by Hill (1910)
- For a protein with  $n$  binding sites, the previously discussed equilibrium expressions are:



$$K_a = \frac{[PL_n]}{([P][L]^n)}$$

$$\theta = \frac{[L]^n}{([L]^n + K_d)}$$

# Hill equation

The fractional occupancy equilibrium expression can be rearranged and converted to a linear form by taking the log of each side:

$$\frac{\theta}{(1-\theta)} = \frac{[L]^n}{K_d} \qquad \log\left(\frac{\theta}{(1-\theta)}\right) = n \log[L] - \log K_d$$

Plotting  $\log(\theta / (1 - \theta))$  vs  $\log [L]$  is called the **Hill plot**

- The slope of the Hill plot  $n$  (Hill coefficient), reflect the **degree of interaction** between binding sites and is represented as  $n_H$

(Note:  $n_H$  only equals  $n$  if all ligands bind at the same instant)

$n_H$  values range from  $> 0$  to the total number of binding sites,  $n$ .

# Hill coefficient

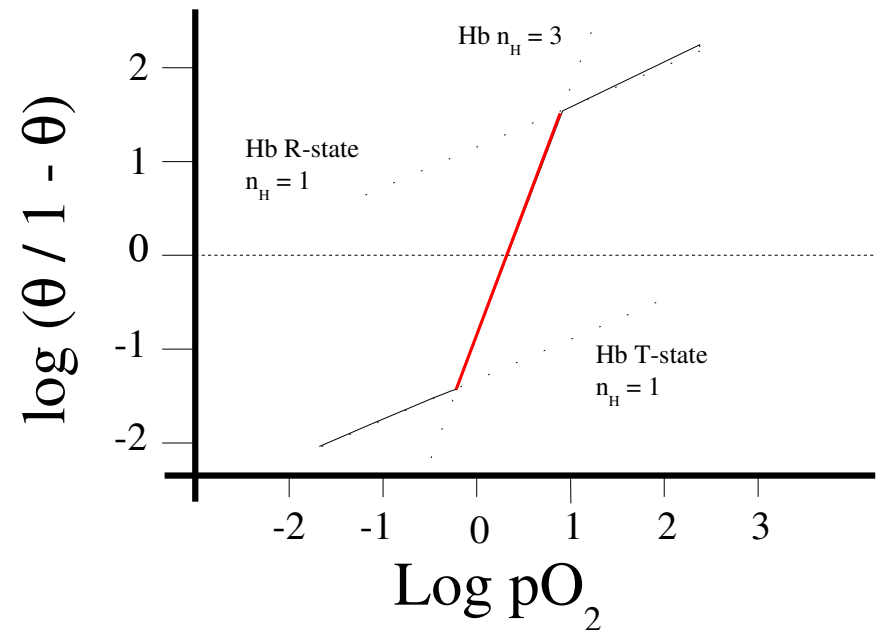
$n_H < 1$  negative cooperativity  
(very rare)

$n_H = 1$  no cooperativity  
(typical)

$n_H > 1$  positive cooperativity  
(common)

$n_H = n$  complete cooperativity  
(never)

$$\log\left(\frac{\theta}{1-\theta}\right) = n \log pO_2 - n \log P_{50}^n$$



Note1: We must modify the equation for Hb by substituting  $pO_2$  for  $[L]$  and  $P_{50}^n$  for  $K_d$  before plotting the data

Note2:  $P_{50}^n$  occurs at  $y=0$

# Cooperativity models

Two models proposed to explain cooperative binding

- (1) **Concerted model** – all subunits undergo the conformational change simultaneously
- (2) **Sequential model** – subunit undergo the conformational change one at a time

Difficult to distinguish between the models as the concerted model is a special case of the sequential model (not mutually exclusive)

- The sequential model becomes the concerted model if the conformational change is sufficiently fast



# Hb also transports CO<sub>2</sub> and H<sup>+</sup>

Hb transports CO<sub>2</sub> from tissues to the lungs and kidneys

Since CO<sub>2</sub> is poorly soluble in water, some is hydrated to HCO<sub>3</sub><sup>-</sup> by carbonic anhydrase in a reaction that produces H<sup>+</sup>

Hb transports 40% of the H<sup>+</sup> and ~20% of the CO<sub>2</sub> formed in tissues

Binding\* of H<sup>+</sup> (Bohr effect) and CO<sub>2</sub> are inversely related (inhibitory) to the binding of O<sub>2</sub>

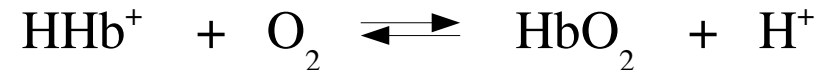
At low pH and high CO<sub>2</sub>, the binding of H<sup>+</sup> and CO<sub>2</sub> aid in the release of O<sub>2</sub>

Conversely in the capillaries of the lungs, CO<sub>2</sub> is released and the pH rises increasing Hb affinity for O<sub>2</sub>

*The **Bohr effect** (modulation of Hb binding) is an important additional factor explaining why Hb (cooperative) is better suited as an oxygen carrier than Myoglobin*

# CO<sub>2</sub> / H<sup>+</sup> and Hb

Complete equilibrium expression for Hb is more formally written as



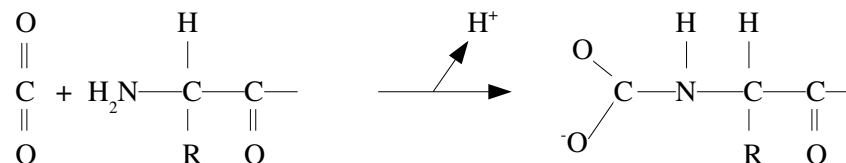
H<sup>+</sup> protonates His146 of Hb (β subunit) in the T state

- This residue is at the interface between subunits and is directly involved in the Hb T to R state transition
- Protonated His146 forms a salt bridge with Asp94 stabilizing the T state

Several other residues can be protonated with similar effects

CO<sub>2</sub> carbamylates the neutral amino terminal groups of Hb when CO<sub>2</sub> levels are high

- This reaction releases H<sup>+</sup> and contributes to the Bohr effect





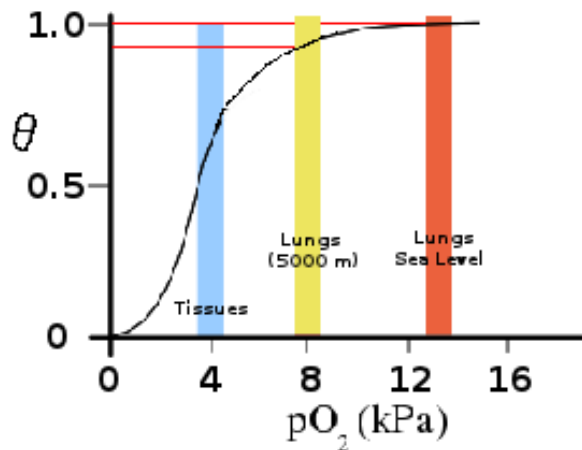
# Heterotrophic modulators

2,3-bisphosphoglycerate (BPG) is a heterotrophic modulator of Hb

- BPG binds at a site distant from the O<sub>2</sub> binding site and greatly reduces the affinity of Hb for O<sub>2</sub> under high CO<sub>2</sub> levels
- Leads to increased release of O<sub>2</sub> compared to normal conditions

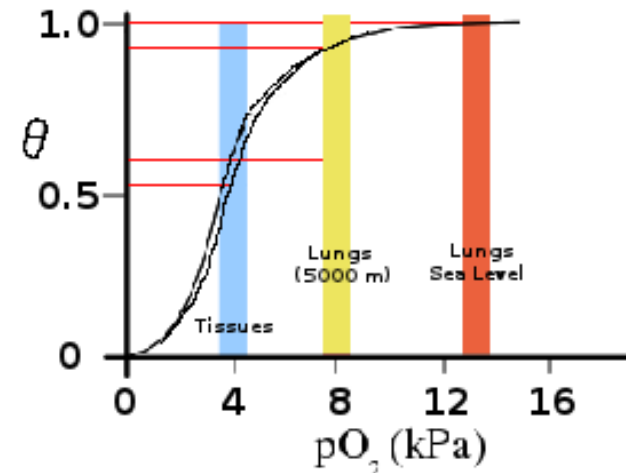
*eg* At high altitudes, pO<sub>2</sub> and the fraction saturation of Hb is lower and less O<sub>2</sub> is released to tissues

- After several hours, BPG binding to Hb promotes release of O<sub>2</sub> at low pO<sub>2</sub> and restores normal levels of oxygen to tissues



Binding Curve showing effect of low pressure

Binding Curve at low pressure in the presence of BPG



# Summary

**Hb reversibly binds  $O_2$ ,  $H^+$  and the heterotrophic regulator BPG**

**Hb covalently binds  $CO_2$**

**Each of these ligands and  $CO_2$  affect Hb binding affinity for  $O_2$  by stabilizing either the T or R states**